U P M
P : A E

D
D a A Ma a ,
T U W O a , L , O N6A 5B7 Ca a a

Abstract. W a a -
. W a a a
(a a a a a)a a a a a a a a a a
, a a . I ,
a ; a a a
a . A a a a , a a a a
a a a a . T a a a a
a a a a a a a .

1 I

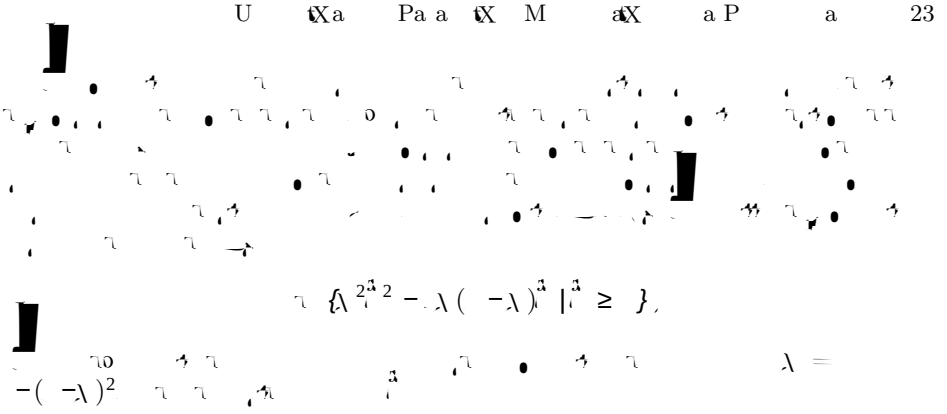
$\mathbb{Z}$ n $\mathbb{R}_{-0}$ $n-1$

$$n(\ ) = \ n \sum_{j=0}^{n-1} \ j \ j, \qquad (\ )$$

(j) o

( ), $n(\ ) \geq$ (j), ( ).

o o ( )



$$\{\lambda^{2} - \lambda(\quad - \lambda)^{} \mid^{} \geq \quad\},$$

$\lambda =$

$-(\quad - \lambda)^2$

A L B

Lemma 1.

Proof: □

$$= - \quad _{2n-1} \quad _{2n} \qquad _{2n-1} \qquad _{2n}$$

$$_{2n}( ) = \quad _{2n} \quad _{2n} \sum_{j=0}^{2n-2} \quad _{j} \quad ^{j} \qquad ( )$$

$$_{2n} = -_{2n} \quad ^{2n} \quad (_{2n-2} - \quad _{n}) \quad ^{2n-2} \quad -_{n} \quad ^{2n-2} \quad , \quad = \quad _{2n}^{(1)} \quad _{2n}^{(2)}$$

$$\quad (_{2n}^{(1)}) = -\frac{(\quad - \quad)^{n-1}(\quad _{n} - _{2n-2})^{n}}{n \quad _{2n}^{n-1}}$$

$$^{2} = (\quad - \quad)(\quad _{n} - _{2n-2}) \quad (\quad _{2n})$$

$i =$ $/_{2i-2}$ $/_{2i-2}$

3 E

$= {}^{a}6 \quad {}^{a}4 - {}^{a}3 \quad {}^{a}2 - {}^{a}$ ( )

$- (\quad) - (\quad)^{2}$ ( )

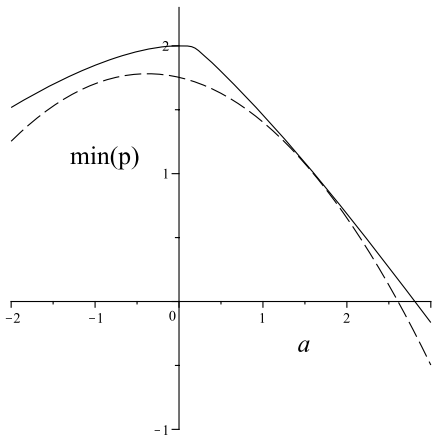
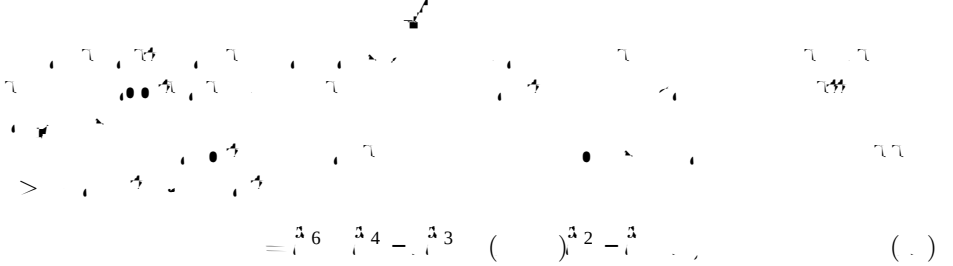
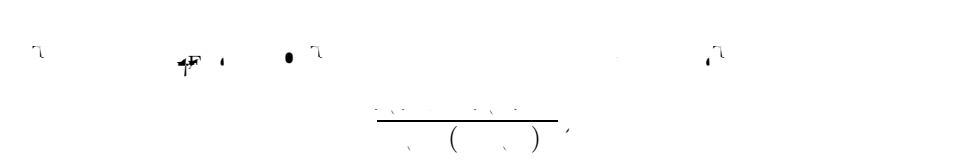
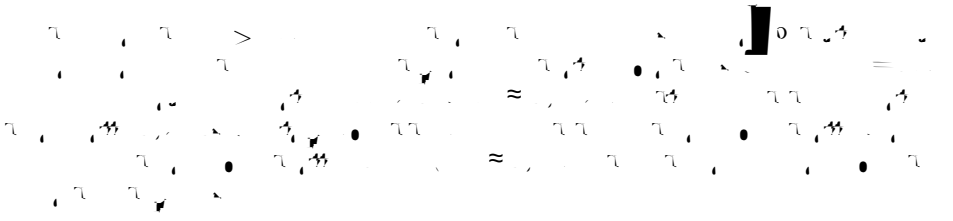


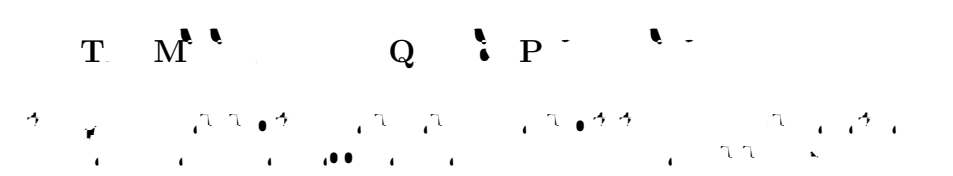
Fig. 1. T tX a $p(x)$ ℰ (10) a tX (11). T tX a tX . AtX , tX tX tX .

$=$ $- ( )^{6/5}$ $- 2$

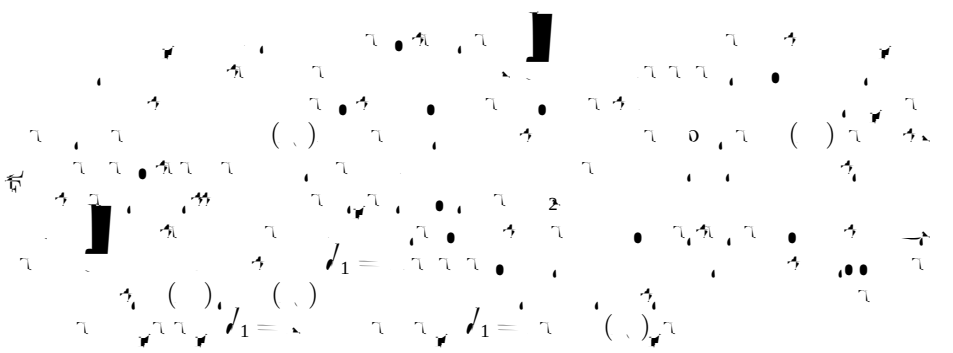








T M Q P

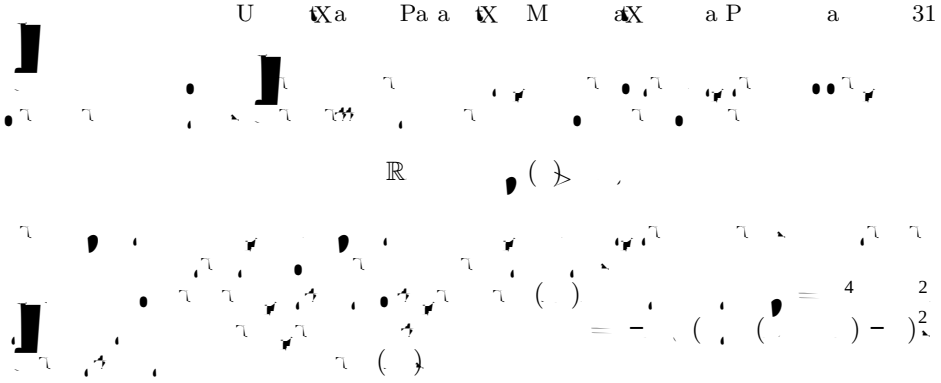


$$_2 = \frac{1}{3}(\frac{3}{2})^{1/3} \quad \frac{2}{2}$$

$$(\quad) = \frac{(\quad \quad \quad)}{\quad (\quad \quad)^2} \qquad (\quad)$$

$$(\quad) \quad = \quad (\quad \quad), \qquad (\quad)$$

$$(\quad) = \qquad \qquad (\quad) = \qquad$$



R

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